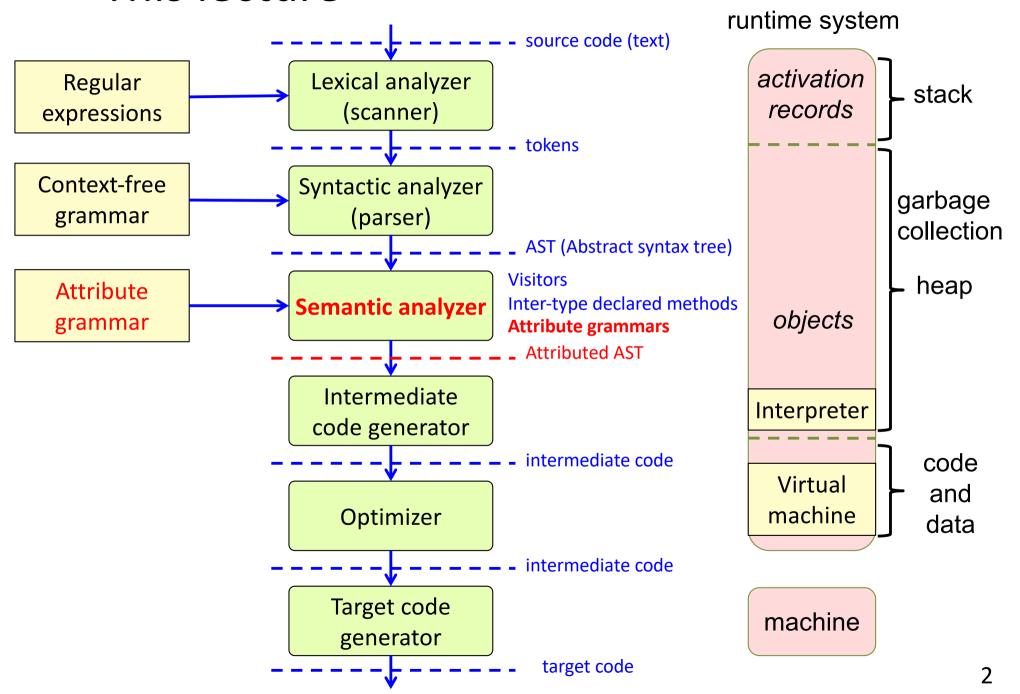
# EDAN65: Compilers, Lecture 07 B Introduction to Attribute Grammars

intrinsic, synthesized, inherited

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### This lecture



# Computations on the AST

**IMPERATIVE COMPUTATIONS** 

**DECLARATIVE COMPUTATIONS** 

# Computations on the AST

#### **IMPERATIVE COMPUTATIONS**

- Computations that "do" something. (have an effect)
  - Modify state
  - Output to files
- Useful for
  - Interpretation
  - Printing error messages
  - Output of code
- Technique:
  - Methods, modularized with
    - Inter-type declarations, or
    - Visitors

#### **DECLARATIVE COMPUTATIONS**

- Computations of properties (of nodes in the AST)
  - No side-effects
- Useful for computing
  - Name bindings
  - Types of expressions
  - Error information
- Technique
  - Attribute grammars

## Properties of AST nodes

#### **INTRINSIC PROPERTIES**

- Given directly by the AST:
  - children
  - token values (like the name of an identifier)

#### **DERIVED PROPERTIES**

- Computed using the AST. E.g.,
  - the type of an expression
  - the decl of an identifier
  - the code of a method
  - ...
- Can be defined using attribute grammars

# Example derived properties

Does this method have any compile-time errors?

```
int gcd2(int a, int b) {
   if (b == 0) {
     return a;
   }
   return gcd2(b, a % b);
}
```

What is the type of this expression?

What is the declaration of this b?

#### **Attribute grammars:**

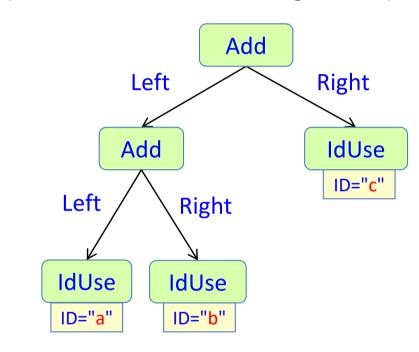
Express these properties as *attributes* of AST nodes. Define the attributes by simple directed *equations*. The equations can be solved automatically.

#### defines the *structure* of ASTs

#### Abstract grammar:

```
abstract Exp;
Add : Exp ::= Left:Exp Right:Exp;
IdUse : Exp ::= <ID:String>;
```

Example AST for "a + b + c"
(an *instance* of the abstract grammar)



#### defines the structure of ASTs

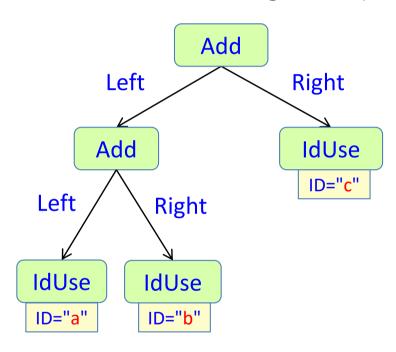
#### Abstract grammar:

```
abstract Exp;
Add : Exp ::= Left:Exp Right:Exp;
IdUse : Exp ::= <ID:String>;
```

The terminal symbols (like ID) are **intrinsic** attributes – constructed when building the AST. They are not defined by equations.

Also the children can be seen as intrinsic attributes.

Example AST for "a + b + c"
(an *instance* of the abstract grammar)



### Attribute grammars

### extends abstract grammars with attributes

#### Abstract grammar:

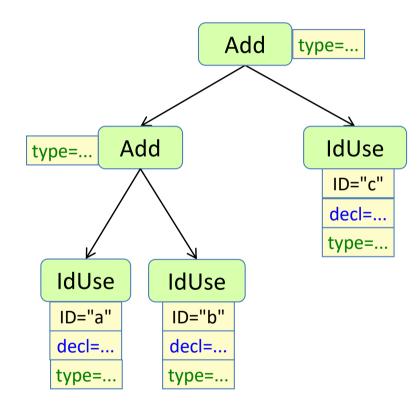
```
abstract Exp;
Add : Exp ::= Left:Exp Right:Exp;
IdUse : Exp ::= <ID:String>;
```

Attribute grammar modules:

```
syn IdDecl IdUse.decl() = ...;
```

```
syn Type Exp.type();
eq Add.type() = ...;
eq IdUse.type() = ...;
```

Example AST for "a + b + c"
(an *instance* of the abstract grammar)



Each declared attribute ...

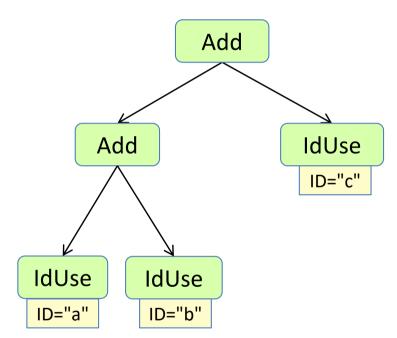
... will have instances in the AST

# Attributes and equations

#### Abstract grammar:

```
abstract Exp;
Add : Exp ::= Left:Exp Right:Exp;
IdUse : Exp ::= <ID:String>;
```

Example AST for "a + b + c" (an *instance* of the abstract grammar)



Think of attributes as "fields" in the tree nodes.

```
syn Type ASTClass.attribute();
```

Each equation *defines* an attribute in terms of other attributes in the tree.

```
eq definedAttribute = function of other attributes;
```

An *evaluator* computes the values of the attributes (solves the equation system). Think of the equations as "methods" called by the evaluator.

### Attribute mechanisms

Intrinsic\* – given value when the AST is constructed (no equation)

**Synthesized\*** – the equation is in the same node as the attribute

**Inherited\*** – the equation is in an ancestor

**Broadcasting** – the equation holds for a complete subtree

**Reference** – the attribute can be a reference to an AST node.

**Parameterized** – the attribute can have parameters

**NTA** – the attribute is a "nonterminal" (a fresh node or subtree)

**Collection** – the attribute is defined by a set of contributions, instead of by an equation.

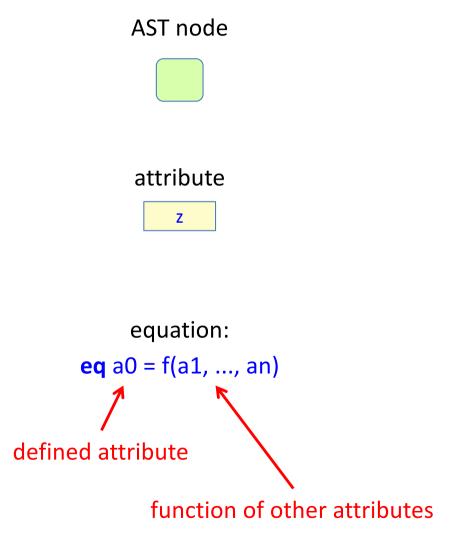
**Circular** – the attribute may depend on itself (solved using fixed-point iteration)

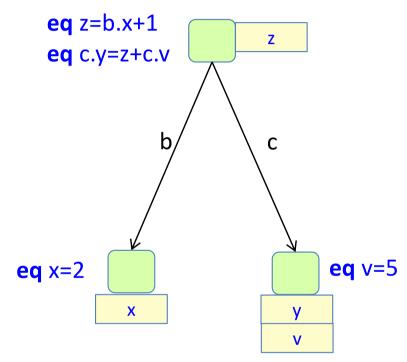
<sup>\*</sup> Treated in this lecture

# Introduction to attribute grammars

### Simple example

### attributes and equations

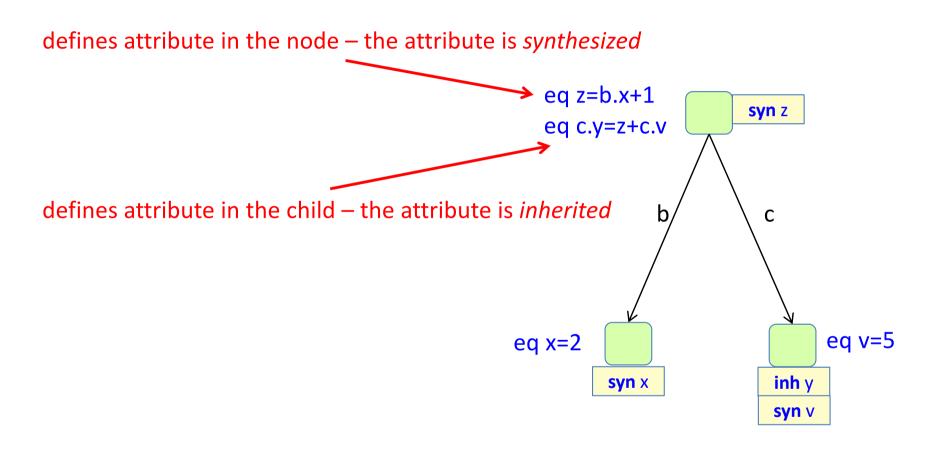




What is the value of y? Solve the equation system! (Easy! Just use substitution.)

### Simple example

### synthesized and inherited attributes



Donald Knuth introduced attribute grammars in 1968.

The term "inherited" is *not* related to inheritance in object-orientation. Both terms originated during the 1960s.

### Simple example

declaring attributes and equations in a (JastAdd) grammar

eq z=b.x+1

eq c.y=z+c.v

getB

syn z

getC

inh y

syn v

**eq** v=5

#### Abstract grammar:

```
A ::= B C;
Β;
C;
```

#### Attribute grammar module:

```
aspect SomeAttributes {
  syn int A.z();
  syn int B.x();
                                            eq x=2
  syn int C.v();
  inh int C.y();
                                                     syn x
  eq A.z() = getB().x()+1;
  eq A.getC().y() = z() + getC().v();
  eq B.x() = 2;
  eq C.v() = 5;
                           uses inter-type declarations for attributes and equations
```

*Note!* The grammar is declarative. The order of the equations is irrelevant. JastAdd solves the equation system automatically.

### Shorthands and alternative forms

equation in attribute declaration, method body syntax

#### Canonical form:

```
syn int A.z();
eq A.z() = getB().x()+1;
```

Alternative shorthand form with equation directly in attribute declaration:

```
syn int A.z() = getB().x()+1;
```

Alternative form with method body syntax:

```
syn int A.z() {
  return getB().x()+1;
}
```

### Equations must be observationally pure

(free from externally visible side effects)

```
syn int A.z() {
  return getB().x()+1;
}
```

### Equations must be observationally pure

(free from externally visible side effects)
Which of these examples are ok?

```
syn int A.z() {
  return getB().x()+1;
}
```

```
syn int A.z() {
  int r = 0;
  r = getB().x()+1;
  return r;
}
```

```
int B.f = 0;
syn int B.x() {
   f++;
   return f;
}
syn int B.y() {
   f++;
   return f;
}
```

### Equations must be observationally pure

(free from externally visible side effects)
Which of these examples are ok?

#### OK – no side effects

```
syn int A.z() {
  return getB().x()+1;
}
```

#### OK - side effects, but only local

```
syn int A.z() {
  int r = 0;
  r = getB().x()+1;
  return r;
}
```

#### Not OK – visible side effects!

```
int B.f = 0;
syn int B.x() {
   f++;
   return f;
}
syn int B.y() {
   f++;
   return f;
}
```

Will give different results if evaluated more than once, and depending on order of evaluation.

Warning! JastAdd does not check observational purity

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-formed attribute grammar

An AG is **well-formed** if there is exactly one defining equation for each attribute in any AST.

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-formed attribute grammar

An AG is **well-formed** if there is exactly one defining equation for each attribute in any AST. Which of these are well-formed?

```
syn int A.x();
```

```
syn int A.x();
eq A.x() = 3;
```

```
syn int A.x();
eq A.x() = 3;
eq A.x() = 17;
```

```
inh int B.y();
eq A.getB().y() = 5;
```

```
inh int D.z();
eq B.getD().z() = 7;
```

```
inh int D.z();
eq B.getD().z() = 7;
eq C.getD().z() = 11;
```

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-formed attribute grammar

An AG is *well-formed* if there is exactly one defining equation for each attribute in any AST. Which of these are well-formed?

#### Not well formed

```
syn int A.x();
```

#### **Well formed**

```
syn int A.x();
eq A.x() = 3;
```

#### Not well formed

```
syn int A.x();
eq A.x() = 3;
eq A.x() = 17;
```

#### **Well formed**

```
inh int B.y();
eq A.getB().y() = 5;
```

#### Not well formed

```
inh int D.z();
eq B.getD().z() = 7;
```

#### **Well formed**

```
inh int D.z();
eq B.getD().z() = 7;
eq C.getD().z() = 11;
```

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-defined attribute grammar

An AG is well-defined if it is well-formed, and there is a unique solution that can be computed.

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-defined attribute grammar

An AG is **well-defined** if it is well-formed, and there is a unique solution that can be computed. Which of these are well-defined?

```
syn int A.x() = 3;
```

```
syn int A.y() {
  int x = 0;
  while (true)
     x++;
  return x;
}
```

```
syn int A.s() = t();
syn int A.t() = s();
```

```
A ::= B C;
B ::= D;
C ::= D;
D;
```

### Well-defined attribute grammar

An AG is **well-defined** if it is well-formed, and there is a unique solution that can be computed. Which of these are well-defined?

```
syn int A.x() = 3;
```

Well defined

```
syn int A.y() {
  int x = 0;
  while (true)
     x++;
  return x;
}
```

Not well defined. Computation does not terminate.

```
syn int A.s() = t();
syn int A.t() = s();
```

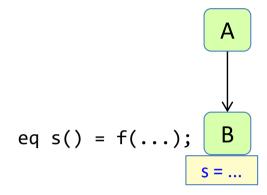
Not well defined. Circular definition.

JastAdd checks circularity dynamically, at evaluation time.

JastAdd supports well-defined circular attributes by a special construction, see later lecture.

#### **Synthesized** attribute:

The equation is in the *same* node as the attribute.

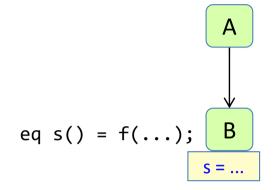


#### **Synthesized** attribute:

The equation is in the *same* node as the attribute.

#### JastAdd syntax:

this code is in the context of B

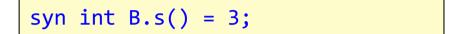


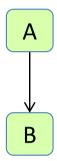
For properties that depend on information in the node (or its children).

Typically used for propagating information *upwards* in the tree.

### simple example

Draw the attribute and its value!

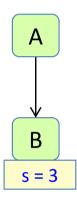




### simple example

```
A ::= B;
B;
```

```
syn int B.s() = 3;
```



Or equivalently, write the declaration and equation separately.

```
syn int B.s();
eq B.s() = 3;
```

Or equivalently, write the equation as a method body:

```
syn int B.s() {
  return 3;
}
```

Nota bene!

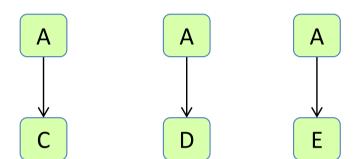
The method body must be observationally pure.

subtypes can have different equations

```
A ::= B;
abstract B;
C : B;
D : B;
E : D;
```

Three different ASTs.

Draw the attributes and their values!



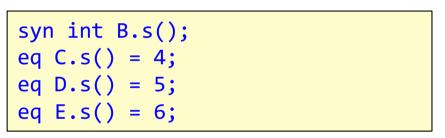
Different subclasses can have different equations.

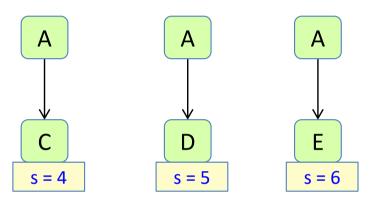
```
syn int B.s();
eq C.s() = 4;
eq D.s() = 5;
eq E.s() = 6;
```

subtypes can have different equations

```
A ::= B;
abstract B;
C : B;
D : B;
E : D;
```

Different subclasses can have different equations.

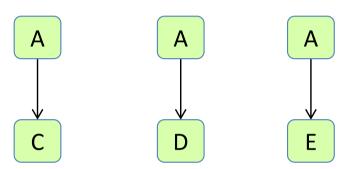




an equation in the supertype can be overridden

```
A ::= B;
abstract B;
C : B;
D : B;
E : D;
```

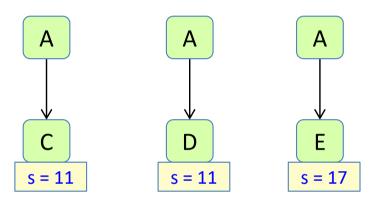
```
syn int B.s() = 11;
eq E.s() = 17;
```



an equation in the supertype can be overridden

```
A ::= B;
abstract B;
C : B;
D : B;
E : D;
```

```
syn int B.s() = 11;
eq E.s() = 17;
```



The equation in B holds for all subtypes, except for those overriding the equation.

A synthesized attribute is similar to a side-effect free method, but:

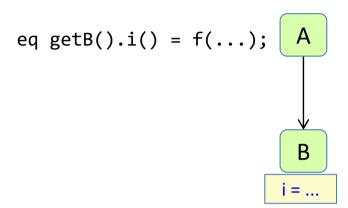
- its value is cached (memoized) the first time it is accessed.
- circularity is checked at runtime (results in exception)

## Inherited attributes

### Inherited attributes

**Inherited** attribute:

The equation is in an ancestor



#### Inherited attributes

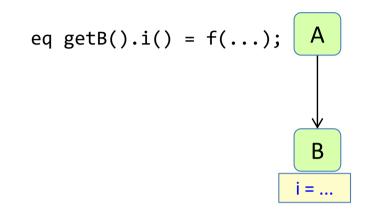
#### **Inherited** attribute:

The equation is in an ancestor

#### JastAdd syntax:

```
inh T B.s();
eq A.getB().i() = f(...);
```

this code is in the context of A



For computing a property that depends on the *context* of the node.

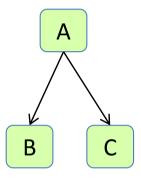
Typically used for propagating information downwards in the tree.

# Inherited attributes simple example

```
A ::= B C;
B;
C;
```

```
inh int B.i();
eq A.getB().i() = 2;
```

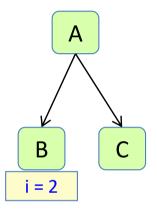
Draw the attribute and its value!



# Inherited attributes simple example

```
A ::= B C;
B;
C;
```

```
inh int B.i();
eq A.getB().i() = 2;
```



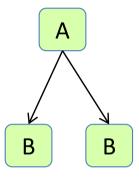
## Inherited attributes different equations for different children

```
A ::= Left:B Right:B;
B;
```

Draw the attributes and their values!

The parent can specify different equations for its different children.

```
inh int B.i();
eq A.getLeft().i() = 2;
eq A.getRight().i() = 3;
```

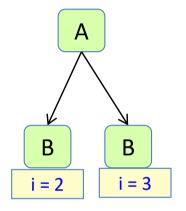


### Inherited attributes different equations for different children

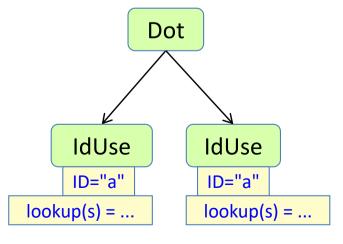
```
A ::= Left:B Right:B;
B;
```

The parent can specify different equations for its different children.

```
inh int B.i();
eq A.getLeft().i() = 2;
eq A.getRight().i() = 3;
```



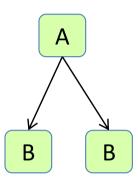
This is useful, for example, when defining scope rules for qualified access. The lookup attributes should have different values for the different IdUses.

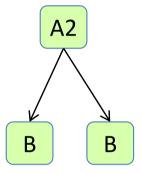


## Inherited attributes a subtype can override an equation

```
A ::= Left:B Right:B;
B;
A2 : A;
```

```
inh int B.i();
eq A.getLeft().i() = 2;
eq A.getRight().i() = 3;
eq A2.getLeft().i() = 4;
```

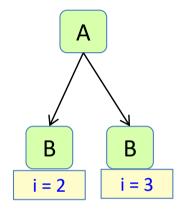


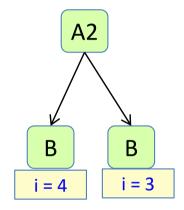


### Inherited attributes a subtype can override an equation

```
A ::= Left:B Right:B;
B;
A2 : A;
```

```
inh int B.i();
eq A.getLeft().i() = 2;
eq A.getRight().i() = 3;
eq A2.getLeft().i() = 4;
```



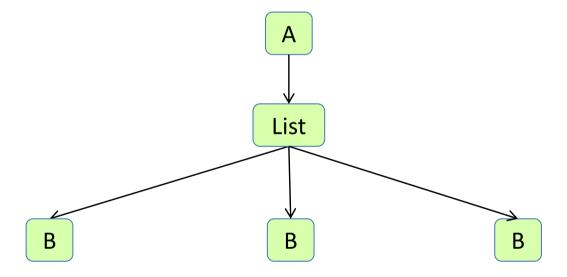


### Inherited attributes a list child has an index

```
A ::= B*;
B;
```

For list children, an index can be used in the equation

```
eq A.getB(int index).x() = (index+1) * (index+1);
inh int B.x();
```

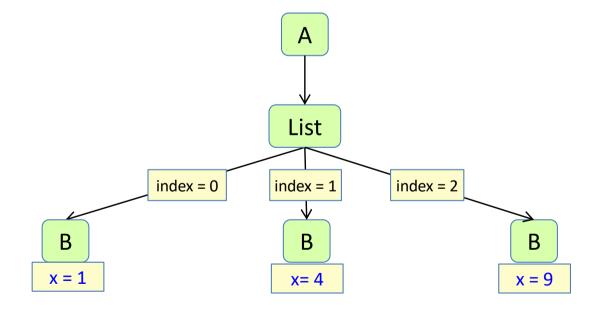


### Inherited attributes a list child has an index

```
A ::= B*;
B;
```

For list children, an index can be used in the equation

```
eq A.getB(int index).x() = (index+1) * (index+1);
inh int B.x();
```



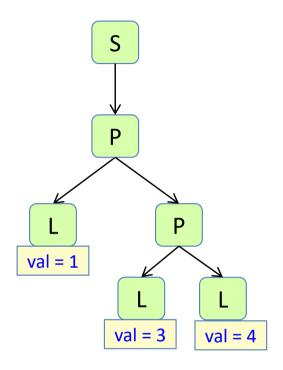
This is useful, for example, when defining name analysis with declare-before-use semantics.

### Example: Fractions

#### Goal

Compute f for each L, where f is L's fraction of the sum of all val attributes.

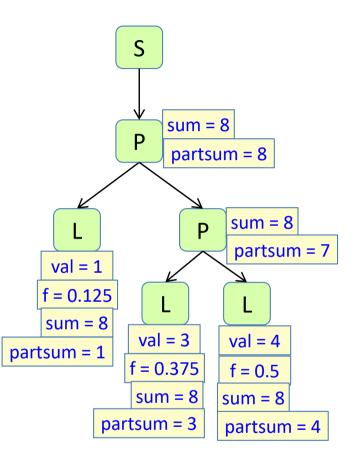
```
S ::= N;
abstract N;
P : N ::= Left:N Right:N;
L : N ::= <val:int>;
```



#### Goal

Compute f for each L, where f is L's fraction of the sum of all val attributes.

```
S ::= N;
abstract N;
P : N ::= Left:N Right:N;
L : N ::= <val:int>;
```



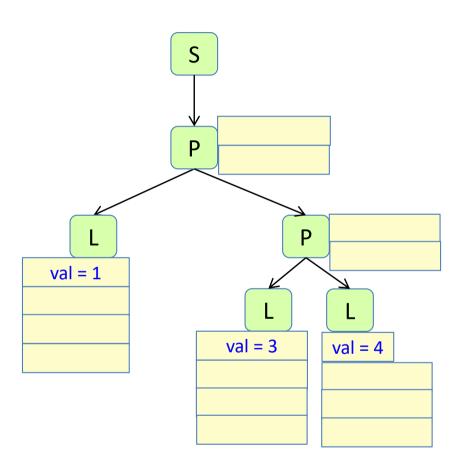
#### Demand evaluation and memoization

```
S ::= N;
abstract N;
P : N ::= Left:N Right:N;
L : N ::= <val:int>;
```

```
S root = ...;
L leaf1 = root...; L leaf2 = root...;
System.out.println(leaf1.f());
System.out.println(leaf2.f());
```

#### Recursive evaluation algorithm with memoization

```
If not cached find the equation compute its right-hand side cache the value fi
Return the cached value
```

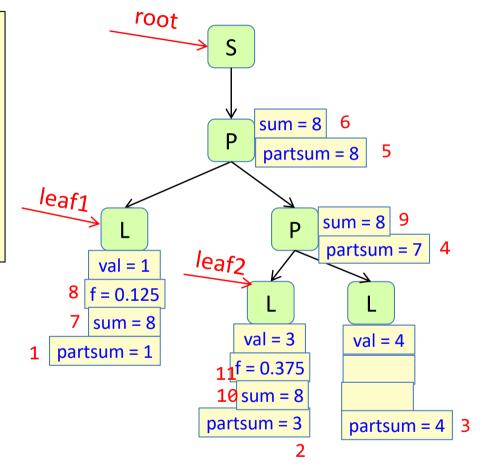


```
S ::= N;
abstract N;
P : N ::= Left:N Right:N;
L : N ::= <val:int>;
```

```
S root = ...;
L leaf1 = root...; L leaf2 = root...;
System.out.println(leaf1.f());
System.out.println(leaf2.f());
```

### Recursive evaluation algorithm with memoization

```
If not cached find the equation compute its right-hand side cache the value fi
Return the cached value
```



memoization order

#### Summary questions

- What is an attribute grammar?
- What is an intrinsic attribute?
- What is an externally visible side-effect? Why are they not allowed in the equations?
- What is a synthesized attribute?
- What is an inherited attribute?
- What is the difference between a declarative and an imperative specification?
- What is demand evaluation?
- Why are attributes cached?

You can now do all of Assignment 3. But it is recommended to do the 7B quiz first!