Planning 1

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Planning

The Planning problem Planning with State-space search Partial-order planning Planning graphs Planning with propositional logic Analysis of planning approaches

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What is Planning

Generate sequences of actions to perform tasks and achieve objectives.

- States, actions and goals

Search for solution over abstract space of plans. Classical planning environment: fully observable, deterministic, finite, static and discrete.

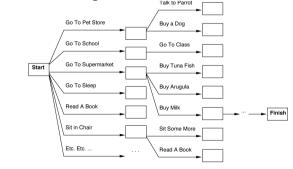
Assists humans in practical applications

- design and manufacturing
- military operations
- games
- space exploration

Why not standard search?

Consider the task get milk, bananas and a cordless drill

Standard search algorithms fail



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Difficulty of real world problems

Assume a problem-solving agent using some search method ...

- Which actions are relevant?
 - Exhaustive search vs. backward search
- What is a good heuristic functions?
 - Good estimate of the cost of the state?
 - Problem-dependent vs, -independent
- How to decompose the problem?
 - Most real-world problems are *nearly* decomposable.

Planning language

What is a good language?

- Expressive enough to describe a wide variety of problems.
- Restrictive enough to allow efficient algorithms to operate on it.
- Planning algorithm should be able to take advantage of the logical structure of the problem.

STRIPS and PDDL

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General language features

Representation of states

- Decompose the world in logical conditions and represent a state as a *conjunction of positive literals.*
 - Propositional literals: Poor A Unknown
 - FO-literals (grounded and function-free): At(Plane1, Copenhagen) A
 At(Plane2, Oslo)
- Closed world assumption

Representation of goals

- Partially specified state and represented as a *conjunction of positive ground literals*
- A goal is *satisfied* if the state contains all literals in goal.

General language features

Representations of actions

- Action = PRECOND + EFFECT
 Action(Fly(p,from, to),
 PRECOND: At(n from) + Plane(n) + Airport
 - PRECOND: At(p,from) ∧ Plane(p) ∧ Airport(from) ∧ Airport(to) EFFECT: ¬AT(p,from) ∧ At(p,to))
- = action schema (p, from, to need to be instantiated)
 - Action name and parameter list
 - Precondition (conj. of function-free literals)
 - Effect (conj of function-free literals and P is True and not P is false)
- Add-list vs delete-list in Effect

Language semantics?

How do actions affect states?

- An action is applicable in any state that satisfies the precondition.
- For FO action schema applicability involves a substitution $\boldsymbol{\theta}$ for the variables in the PRECOND.
 - At(P1,JFK) ∧ At(P2,SFO) ∧ Plane(P1) ∧ Plane(P2) ∧ Airport(JFK) ∧ Airport(SFO)
 - Satisfies : $At(p, from) \land Plane(p) \land Airport(from) \land Airport(to)$ With $\theta = \{p/P1, from/JFK, to/SFO\}$
 - Thus the action is applicable.

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Language semantics?

The result of executing action a in state s is the state s'

- s' is same as s except
 - Any positive literal P in the effect of a is added to s'
 - Any negative literal $\neg P$ is removed from s'
 - EFFECT: ¬AT(p,from) ^ At(p,to):

At(P1,SFO) ∧ At(P2,SFO) ∧ Plane(P1) ∧ Plane(P2) ∧ Airport(JFK) ∧ Airport (SFO)

STRIPS assumption: (avoids representational frame problem)

every literal NOT in the effect remains unchanged

Expressiveness and extensions

STRIPS is simplified

- Important limit: function-free literals
 - Allows for propositional representation
 - Function symbols lead to infinitely many states and actions

Expressiveness extension: Planning Domain Description language (PDDL)

Action(Fly(p:Plane, from: Airport, to: Airport), PRECOND: At(p,from) ∧ (from ≠ to) EFFECT: ¬At(p,from) ∧ At(p,to))

Standardization : now (2008) in its 3.1 version

Example: air cargo transport

Init(At(C1, SFO) ∧ At(C2,JFK) ∧ At(P1,SFO) ∧ At(P2,JFK) ∧ Cargo(C1) ∧ Cargo(C2) ∧ Plane(P1) ∧ Plane(P2) ∧ Airport(JFK) ∧ Airport(SFO)) Goal(At(C1,JFK) ∧ At(C2,SFO)) Action(Load(c,p,a) PRECOND: At(c,a) ∧At(p,a) ∧Cargo(c) ∧Plane(p) ∧Airport(a) EFFECT: ¬At(c,a) ∧In(c,p)) Action(Unload(c,p,a) PRECOND: In(c,p) ∧At(p,a) ∧Cargo(c) ∧Plane(p) ∧Airport(a) EFFECT: At(c,a) ∧ ¬In(c,p)) Action(Fly(p,from,to) PRECOND: At(p,from) ∧Plane(p) ∧Airport(from) ∧Airport(to) EFFECT: ¬ At(p,from) ∧ At(p,to))

[Load(C1,P1,SFO), Fly(P1,SFO,JFK), Load(C2,P2,JFK), Fly(P2,JFK,SFO)]

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Example: Spare tire problem

Init(At(Flat, Axle) ^ At(Spare,trunk)) Goal(At(Spare,Axle)) Action(Remove(Spare,Trunk) PRECOND: At(Spare,Trunk) ^ At(Spare,Ground)) Action(Remove(Flat,Axle) PRECOND: At(Flat,Axle) ^ At(Spare,Ground)) Action(PutOn(Spare,Axle) ^ At(Flat,Ground)) Action(LeaveOvernight PRECOND: At(Spare,Ground) ^ ¬At(Spare,Axle) ^ ¬At(Spare,trunk) ^ ¬At(Flat,Ground) ^ ¬At (Flat,Axle) ^ ¬At(Spare,trunk) ^ ¬At(Flat,Ground))

This example goes beyond STRIPS: negative literal in pre-condition (PDDL description)

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Planning with state-space search

Both forward and backward search possible

Progression planners

- forward state-space search
- Consider the effect of all possible actions in a given state

Regression planners

- backward state-space search
- To achieve a goal, what must have been true in the previous state.

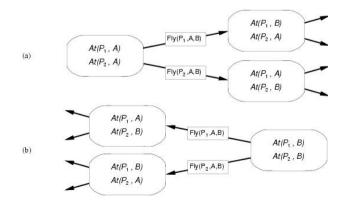
Example: Blocks world

 $Init(On(A, Table) \land On(B, Table) \land On(C, Table) \land Block(A) \land Block(B) \land Block(C) \land Clear(A) \land Clear(B) \land Clear(C))$ $Goal(On(A,B) \land On(B,C))$ Action(Move(b,x,y)) $PRECOND: On(b,x) \land Clear(b) \land Clear(y) \land Block(b) \land (b \neq x) \land (b \neq y) \land (x \neq y)$ $EFFECT: On(b,y) \land Clear(x) \land \neg On(b,x) \land \neg Clear(y))$ Action(MoveToTable(b,x)) $PRECOND: On(b,x) \land Clear(b) \land Block(b) \land (b \neq x)$ $EFFECT: On(b,Table) \land Clear(x) \land \neg On(b,x))$

Spurious actions are possible: Move(B,C,C)

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Progression and regression



Progression algorithm

Formulation as state-space search problem:

- Initial state = initial state of the planning problem
 Literals not appearing are false
- Actions = those whose preconditions are satisfied
 Add positive effects, delete negative
- Goal test = does the state satisfy the goal
- Step cost = each action costs 1

No functions ... any graph search that is complete is a complete planning algorithm.

– E.g. A*

Inefficient:

- (1) irrelevant action problem
- (2) good heuristic required for efficient search

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Regression algorithm

How to determine predecessors?

- What are the states from which applying a given action leads to the goal?
 Goal state = At(C1, B) ^ At(C2, B) ^ ... ^ At(C20, B)
 Relevant action for first conjunct: Unload(C1,p,B)
 Works only if pre-conditions are satisfied.
 - Previous state= $In(C1, p) \land At(p, B) \land At(C2, B) \land ... \land At(C20, B)$ Subgoal At(C1,B) should not be present in this state.

Actions must not undo desired literals (consistent)

Main advantage: only relevant actions are considered.

- Often much lower branching factor than forward search.

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Regression algorithm

General process for predecessor construction

- Give a goal description G
- Let A be an action that is relevant and consistent
- The predecessors is as follows:
 - Any positive effects of A that appear in G are deleted.
 - Each precondition literal of A is added , unless it already appears.

Any standard search algorithm can be added to perform the search.

Termination when predecessor satisfied by initial state.

- In FO case, satisfaction might require a substitution.

Heuristics for state-space search

Neither progression or regression are very efficient without a good heuristic.

- How many actions are needed to achieve the goal?
- Exact solution is NP hard, find a good estimate

Two approaches to find admissible heuristic:

- The optimal solution to the relaxed problem.
 Remove all preconditions from actions
- The subgoal independence assumption:
 The cost of solving a conjunction of subgoals is approximated by the sum of the costs of solving the subproblems independently.

Partial-order planning

Progression and regression planning are totally ordered plan search forms.

- They cannot take advantage of problem decomposition.
 - Decisions must be made on how to sequence actions on all the subproblems

Least commitment strategy:

- Delay choice during search

is a PO plan. Partial Order Plan:

Partial-order planning(POP)

Any planning algorithm that can place two actions into a plan without which comes first

> Start Start Start Start Start Left Sock Left Sock Right Sock Right Sock Left Sock Right Sock Left Sock Right Sock Right Shoe Shoe Sock Left Right Shoe Right Left Left Sock Left Shoe Right Shoe Sock Shoe Shoe Shoe Left Shoe ♥ Left Shoe Right Shoe Right Shoe Left Shoe Right Shoe LettShoeOn BightShoeOr + Finish Finish Finish Finish Finish Finish Finish

Total Order Plans

Shoe example

Goal(RightShoeOn ^ LeftShoeOn) Init() PRECOND: RightSockOn Action(RightShoe, EFFECT: RightShoeOn) Action(RightSock, PRECOND: EFFECT: RightSockOn) Action(LeftShoe, PRECOND: LeftSockOn EFFECT: LeftShoeOn) Action(LeftSock, PRECOND: EFFECT: LeftSockOn)

Planner: combine two action sequences (1)leftsock, leftshoe (2)rightsock, rightshoe

POP as a search problem

States are (mostly unfinished) plans.

- The empty plan contains only start and finish actions.

Each plan has 4 components:

- A set of actions (steps of the plan)
- A set of ordering constraints: A < B (A before B) - Cycles represent contradictions.
- A set of causal links A → P → B
 The plan may not be extended by adding a new action C that conflicts with the causal link. (if the effect of C is ¬p and if C could come after A and before B)
- A set of open preconditions.
 - If precondition is not achieved by action in the plan.

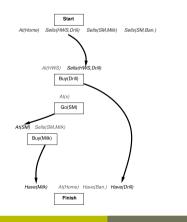
Example of final plan

Actions={Rightsock, Rightshoe, Leftsock, Leftshoe, Start, Finish} Orderings={Rightsock < Rightshoe; Leftsock < Leftshoe} Links={Rightsock->Rightsockon -> Rightshoe, Leftsock->Leftsockon-> Leftshoe, Rightshoe->Rightshoeon->Finish, ...}

Open preconditions={}

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Shopping list example

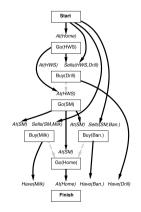


Shopping list example





Shopping list example



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POP as a search problem

A plan is *consistent* iff there are no cycles in the ordering constraints and no conflicts with the causal links.

A consistent plan with no open preconditions is a *solution*.

A partial order plan is executed by repeatedly choosing *any* of the possible next actions.

- This flexibility is a benefit in non-cooperative environments.

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Enforcing consistency

When generating successor plan:

- The causal link $A \rightarrow p \rightarrow B$ and the ordering constraint A < B is added to the plan.
 - If A is new also add start < A and A < B to the plan
- Resolve conflicts between new causal link and all existing actions
- Resolve conflicts between action A (if new) and all existing causal links.

Solving POP

Assume propositional planning problems:

- The initial plan contains *Start* and *Finish*, the ordering constraint *Start* < *Finish*, no causal links, all the preconditions in *Finish* are open.
- Successor function :
 - picks one open precondition p on an action B and
 - generates a successor plan for every possible consistent way of choosing action *A* that achieves *p*.
- Test goal

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Process summary

Operators on partial plans

- Add link from existing plan to open precondition.
- Add a step to fulfill an open condition.
- Order one step w.r.t another to remove possible conflicts

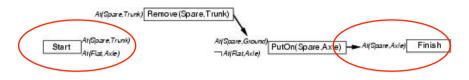
Gradually move from incomplete/vague plans to complete/correct plans

Backtrack if an open condition is unachievable or if a conflict is irresolvable.

Example: Spare tire problem

Init(At(Flat, Axle) ∧ At(Spare,trunk)) Goal(At(Spare,Axle)) Action(Remove(Spare,Trunk) PRECOND: At(Spare,Trunk) EFFECT: ¬At(Spare,Trunk) ∧ At(Spare,Ground)) Action(Remove(Flat,Axle) PRECOND: At(Flat,Axle) EFFECT: ¬At(Flat,Axle) ∧ At(Flat,Ground)) Action(PutOn(Spare,Axle) ∧ At(Flat,Ground)) Action(LeaveOvernight PRECOND: EFFECT: ¬At(Spare,Ground) ∧ ¬At(Spare,Axle) ∧ ¬At(Spare,trunk) ∧ ¬At (Flat,Ground) ∧ ¬At(Flat,Axle))

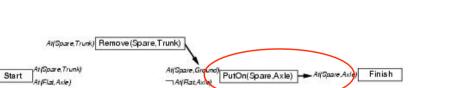
Solving the problem



Initial plan: Start with EFFECTS and Finish with PRECOND.

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Solving the problem



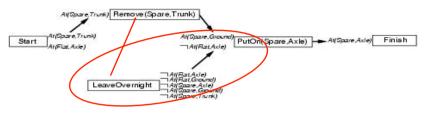
Initial plan: Start with EFFECTS and Finish with PRECOND. Pick an open precondition: At(Spare, Axle)Only PutOn(Spare, Axle) is applicable Add causal link: $PutOn(Spare, Axle) \xrightarrow{At(Spare, Axle)} Finish$ Add constraint : PutOn(Spare, Axle) < Finish

Solving the problem



Pick an open precondition: *At(Spare, Ground)* Only *Remove(Spare, Trunk)* is applicable Add causal link: Remove(Spare,Trunk) → PutOn(Spare,Axle) Add constraint : *Remove(Spare, Trunk) < PutOn(Spare,Axle)*

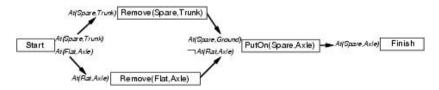
Solving the problem



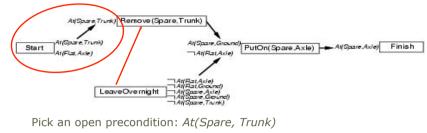
Pick an open precondition: ¬*At*(*Flat, Axle*) *LeaveOverNight* is applicable conflict: *LeaveOverNight* also has the effect ¬ *At*(*Spare,Ground*) Remove(*Spare,Trunk*) → *PutOn*(*Spare,Axle*) To resolve, add constraint : *LeaveOverNight < Remove*(*Spare, Trunk*)

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Solving the problem



Remove LeaveOverNight, Remove(Spare, Trunk) and causal links Repeat step with Remove(Spare,Trunk) Add also RemoveFlatAxle and finish Solving the problem



Only Start is applicable

Add causal link: Start <u>At(Spare,Trunk)</u> $\rightarrow \text{Re} move(Spare,Trunk)$

Conflict: of causal link with effect *At(Spare,Trunk)* in *LeaveOverNight* - No re-ordering solution possible.

backtrack

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Some details ...

What happens when a first-order representation that includes variables is used?

- Complicates the process of detecting and resolving conflicts.

- Can be resolved by introducing inequality constraint.

CSP's most-constrained-variable constraint can be used for planning algorithms to select a PRECOND.

Planning graphs

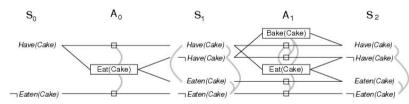
Used to achieve better heuristic estimates. – A solution can also directly extracted using GRAPHPLAN.

Consists of a sequence of levels that correspond to time steps in the plan.

- Level 0 is the initial state.
- Each level consists of a set of literals and a set of actions.
 - *Literals* = all those that *could* be true at that time step, depending upon the actions executed at the preceding time step.
 - Actions = all those actions that *could* have their preconditions satisfied at that time step, depending on which of the literals actually hold.

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Cake example



Start at level S0 and determine action level A0 and next level S1.

- A0 >> all actions whose preconditions are satisfied in the previous level.
- Connect precond and effect of actions S0 --> S1
- Inaction is represented by persistence actions.

Level A0 contains the actions that could occur

- Conflicts between actions are represented by mutex links

Planning graphs

"Could"?

Records only a restricted subset of possible negative interactions among actions.

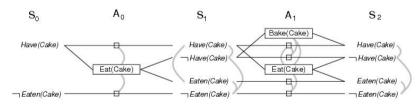
They work only for propositional problems.

Example:

Init(Have(Cake)) Goal(Have(Cake) ∧ Eaten(Cake)) Action(Eat(Cake), PRECOND: Have(Cake) EFFECT: ¬Have(Cake) ∧ Eaten(Cake)) Action(Bake(Cake), PRECOND: ¬ Have(Cake) EFFECT: Have(Cake))

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Cake example



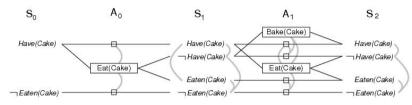
Level S1 contains all literals that could result from picking any subset of actions in $\ensuremath{\mathsf{A0}}$

- Conflicts between literals that can not occur together (as a consequence of the selection action) are represented by mutex links.
- S1 defines multiple states and the mutex links are the constraints that define this set of states.

Continue until two consecutive levels are identical: leveled off

- Or contain the same amount of literals (explanation follows later)

Cake example



A mutex relation holds between two actions when:

- Inconsistent effects: one action negates the effect of another.
- Interference: one of the effects of one action is the negation of a precondition of the other.
- Competing needs: one of the preconditions of one action is mutually exclusive with the precondition
 of the other.

A mutex relation holds between **two literals** when (*inconsistent support*):

- If one is the negation of the other OR
- if each possible action pair that could achieve the literals is mutex.

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PG and heuristic estimation

PG's provide information about the problem

- A literal that does not appear in the final level of the graph cannot be achieved by any plan.
 - Useful for backward search (cost = inf).
- Level of appearance can be used as cost estimate of achieving any goal literals = *level cost*.
- Small problem: several actions can occur
 - Restrict to one action using serial PG (add mutex links between every pair of actions, except persistence actions).
- Cost of a conjunction of goals? Max-level, sum-level and set-level heuristics.

PG is a relaxed problem.

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The GRAPHPLAN Algorithm

How to extract a solution directly from the PG

function GRAPHPLAN(problem) return solution or failure

 $graph \leftarrow INITIAL-PLANNING-GRAPH(problem)$

 $goals \leftarrow GOALS[problem]$

loop do

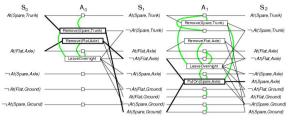
if goals all non-mutex in last level of graph then do solution ← EXTRACT-SOLUTION(graph, goals, LENGTH(graph)) if solution ≠ failure then return solution else if NO-SOLUTION-POSSIBLE(graph) then return failure graph ← EXPAND-GRAPH(graph, problem)

Example: Spare tire problem

Init(At(Flat, Axle) ∧ At(Spare,trunk))
Goal(At(Spare,Axle))
Action(Remove(Spare,Trunk)
PRECOND: At(Spare,Trunk)
EFFECT: ¬At(Spare,Trunk) ∧ At(Spare,Ground))
Action(Remove(Flat,Axle)
PRECOND: At(Flat,Axle)
EFFECT: ¬At(Flat,Axle) ^ At(Flat,Ground))
Action(PutOn(Spare,Axle)
PRECOND: <i>At(Spare,Groundp)</i> ^ ¬At(Flat,Axle)
EFFECT: At(Spare,Axle) ^ ¬At(Spare,Ground))
Action(LeaveOvernight
PRECOND:
EFFECT: ¬ At(Spare,Ground) ^ ¬ At(Spare,Axle) ^ ¬ At(Spare,trunk) ^ ¬ At(Flat,Ground) ^ ¬ At (Flat,Axle))

This example goes beyond STRIPS: negative literal in pre-condition (ADL description)

GRAPHPLAN example



Initially the plan consist of 5 literals from the initial state and the CWA literals (S0).

Add actions whose preconditions are satisfied by EXPAND-GRAPH (A0)

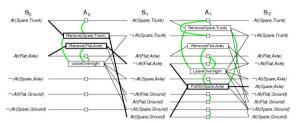
Also add persistence actions and mutex relations.

Add the effects at level S1

Repeat until goal is in level Si

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GRAPHPLAN example

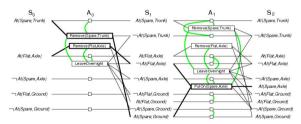


EXPAND-GRAPH also looks for mutex relations

- Inconsistent effects
- E.g. Remove(Spare, Trunk) and LeaveOverNight due to At(Spare, Ground) and not At(Spare, Ground)
 Interference
- E.g. Remove(Flat, Axle) and LeaveOverNight At(Flat, Axle) as PRECOND and not At(Flat, Axle) as EFFECT
 Competing needs
- E.g. PutOn(Spare,Axle) and Remove(Flat, Axle) due to At(Flat.Axle) and not At(Flat, Axle)
- Inconsistent support
 E.a. in S2. At/Space Avia) and At/

E.g. in S2, At(Spare,Axle) and At(Flat,Axle)

GRAPHPLAN example



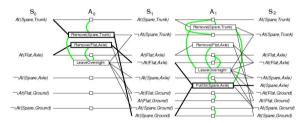
In S2, the goal literals exist and are not mutex with any other

- Solution might exist and EXTRACT-SOLUTION will try to find it

EXTRACT-SOLUTION can use Boolean CSP to solve the problem or a search process:

- Initial state = last level of PG and goal goals of planning problem
- Actions = select any set of non-conflicting actions that cover the goals in the state
- Goal = reach level S0 such that all goals are satisfied
- Cost = 1 for each action.

GRAPHPLAN example



Termination? YES

PG are monotonically increasing or decreasing:

- Literals increase monotonically
- Actions increase monotonically
- Mutexes decrease monotonically

Because of these properties and because there is a finite number of actions and literals, every PG will eventually level off !

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Planning with propositional logic

Planning can be done by proving theorem in situation calculus. Here: test the *satisfiability* of a logical sentence:

initial state \land all possible action descriptions \land goal

Sentence contains propositions for every action occurrence.

- A model will assign true to the actions that are part of the correct plan and false to the others
- An assignment that corresponds to an incorrect plan will not be a model because of inconsistency with the assertion that the goal is true.
- If the planning is unsolvable the sentence will be unsatisfiable.

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cnf, mapping ← TRANSLATE-TO_SAT (*problem, T*)

Distinct propositions for assertions about each time step.

- Superscripts denote the time step At(P1,SFO)⁰ ^ At(P2,JFK)⁰
- No CWA thus specify which propositions are not true ¬At(P1,SFO)⁰ ^ ¬At(P2,JFK)⁰
- Unknown propositions are left unspecified.

The goal is associated with a particular timestep

- But which one?

SATPLAN algorithm

function SATPLAN(<i>problem</i> , T_{max}) return <i>solution</i> or failure
inputs: <i>problem</i> , a planning problem
T_{max} , an upper limit to the plan length
for $T = 0$ to T_{max} do
$cnf, mapping \leftarrow TRANSLATE-TO_SAT(problem, T)$
assignment \leftarrow SAT-SOLVER(cnf)
if assignment is not null then
return EXTRACT-SOLUTION(assignment, mapping)
return failure

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cnf, mapping ← TRANSLATE-TO_SAT (*problem, T*)

How to determine the time step where the goal will be reached?

- Start at T=0
 - Assert At(P1,SFO)⁰ ^ At(P2,JFK)⁰
- Failure .. Try T=1
 - Assert At(P1,SFO)¹ ∧ At(P2,JFK)¹
- Repeat this until some minimal path length is reached.
- Termination is ensured by T_{max}

$cnf, mapping \leftarrow TRANSLATE-TO_SAT$ (problem, T)

How to encode actions into PL?

- Propositional versions of successor-state axioms At(P1,JFK)¹ ⇔ (At(P1,JFK)⁰ ∧ ¬(Fly(P1,JFK,SFO)⁰ ∧ At(P1,JFK)⁰)) ∨ (Fly (P1,SFO,JFK)⁰ ∧ At(P1,SFO)⁰)
- Such an axiom is required for each plane, airport and time step
- If more airports add another way to travel than additional disjuncts are required

Once all these axioms are in place, the satisfiability algorithm can start to find a plan.

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assignment ← SAT-SOLVER(cnf)

A plane can fly to two destinations at once They are NOT satisfactory: (for T=1)

Fly(P1,SF0,JFK)^o ~ Fly(P2,JFK,SF0)^o ~ Fly(P2,JFK.LAX)^o The second action is infeasible Yet the plan allows spurious relations

Avoid spurious solutions: action-exclusion axioms $\neg(Fly(P2,JFK,SFO)^{\circ} \land Fly(P2,JFK,LAX)^{\circ})$

Prevents simultaneous actions

Lost of flexibility since plan becomes totally ordered : no actions are allowed to occur at the same time.

- Restrict exclusion to preconditions

assignment ← SAT-SOLVER(cnf)

Multiple models can be found They are NOT satisfactory: (for T=1)

The second action is infeasible Yet the plan IS a model of the sentence

initial state \land *all possible action descriptions* \land *goal*¹

Avoiding illegal actions: pre-condition axioms $Fly(P1,SF0,JFK)^{\circ} \Rightarrow At(P1,JFK)$

Exactly one model now satisfies all the axioms where the goal is achieved at T=1.

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Analysis of planning approach

Planning is an area of great interest within AI

- Search for solution
- Constructively prove a existence of solution

Biggest problem is the combinatorial explosion in states.

Efficient methods are under research

- E.g. divide-and-conquer